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FIG 1

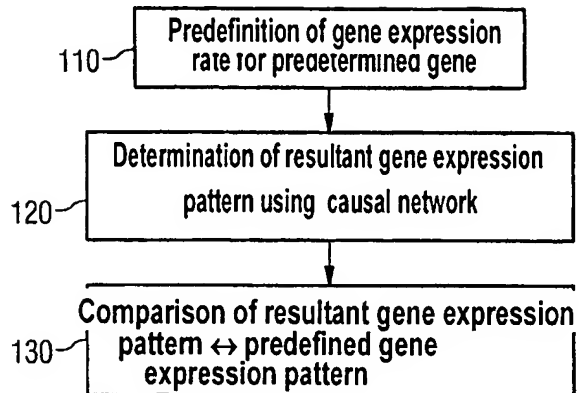


FIG 2

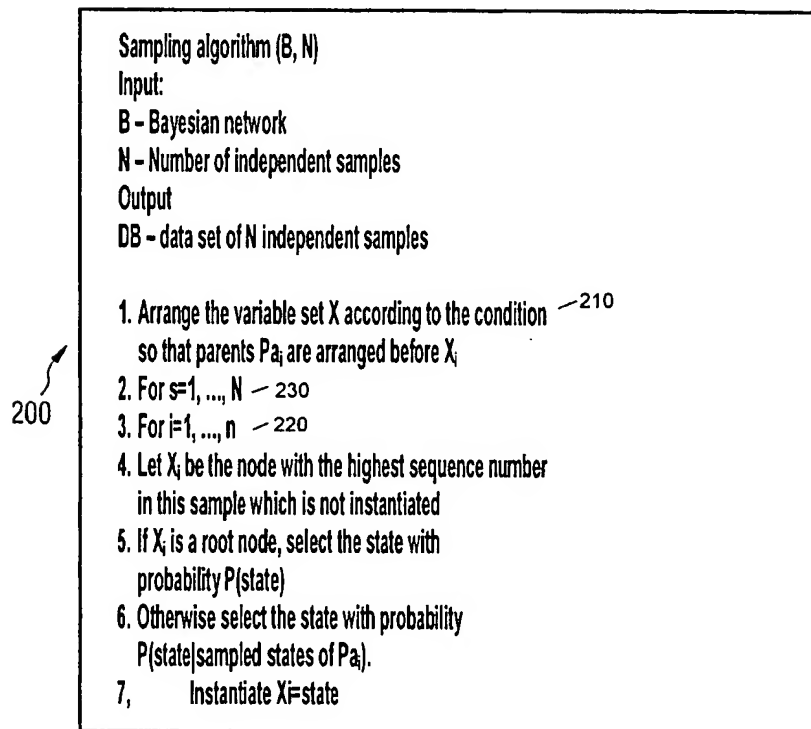


FIG 3

Interventional sampling algorithm (B,E,N)

Input:

B - Bayesian network

E - Set of observations <sup>310</sup>

N - Number of independent samples

Output:

$D_{B|E}$  - data set of N independent samples for given E. <sup>330</sup>

XE - Set of observed variables; <sup>320</sup>

$X_q = \{X_i | X_i \in XE\}$  - Set of request variables

1. Arrange  $X_q$  according to the condition that  
parents  $Pa_i$  are arranged before  $X_i$

2. For  $s=1, \dots, N$

3. For  $i=1, \dots, n$

4. Let  $X_i$  be the node with the highest sequence number  
in this sample which is not instantiated

5. If  $X_i$  is a root node, select the state with  
probability  $P(\text{state}|E)$

6. Otherwise select the state with probability  
 $P(\text{state}|\text{sampled states of } Pa_i, E)$ .

7,      Instantiate  $X_i = \text{state}$

FIG 4

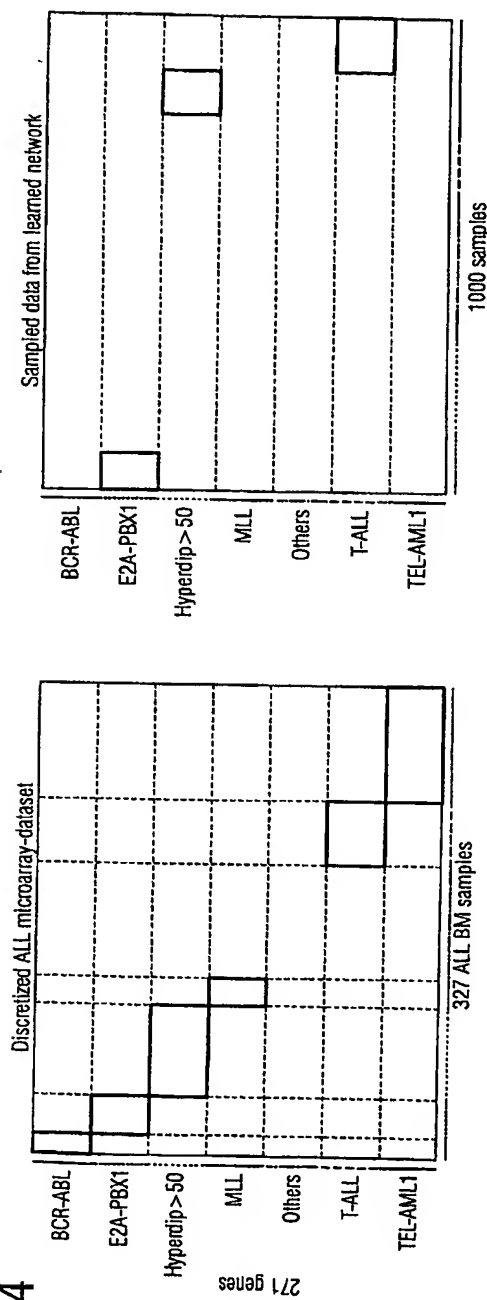
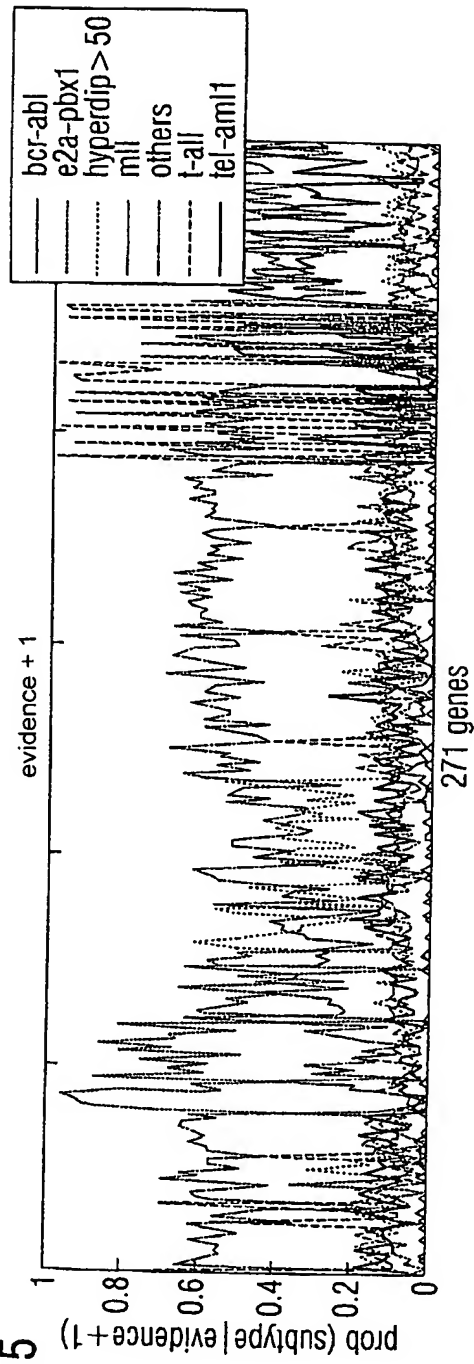


FIG 5



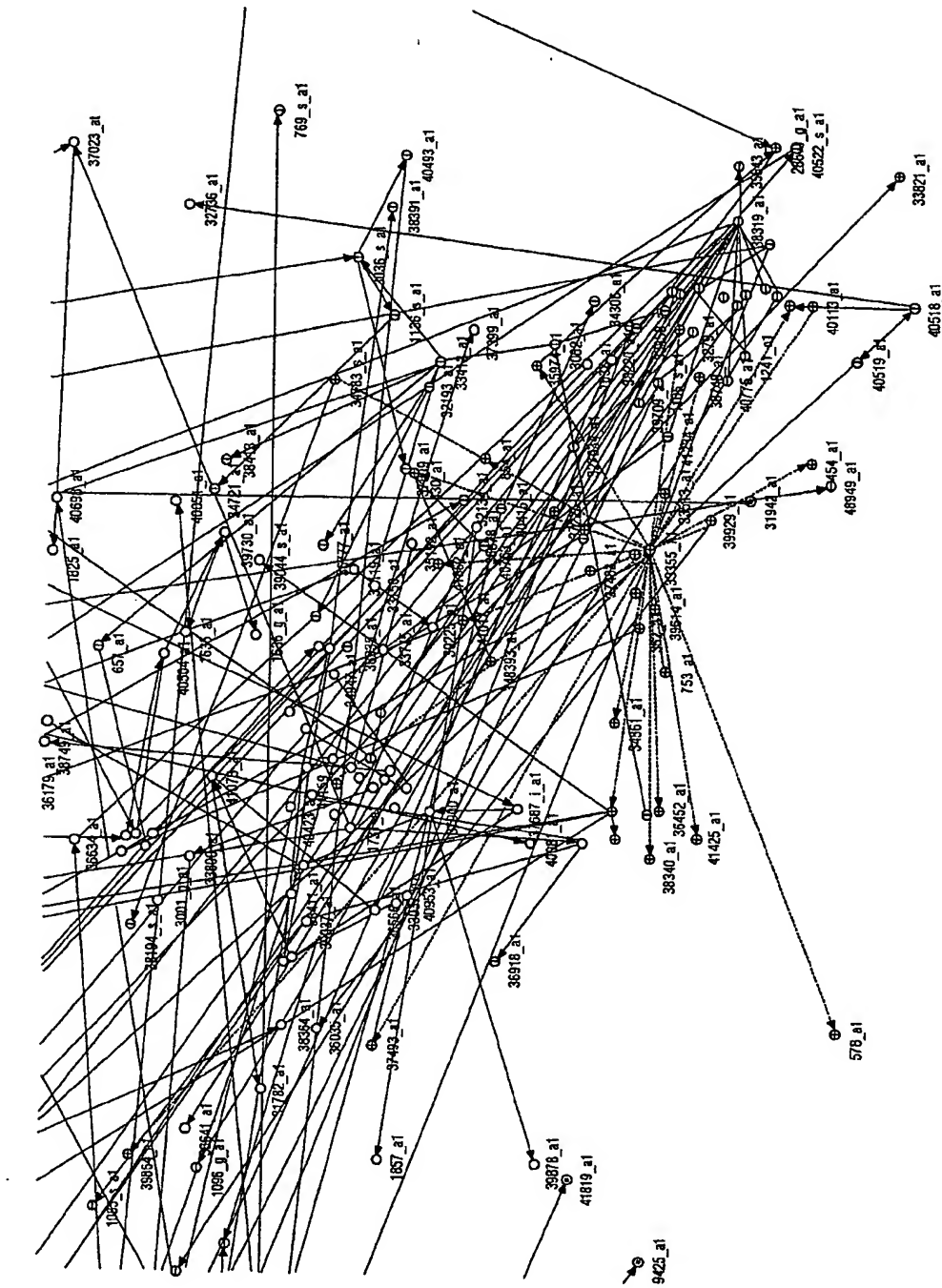


FIG 6

REPLACEMENT SHEET (RULE 26)